

2.

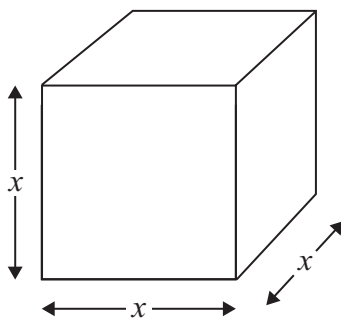


Figure 1

Figure 1 shows a metal cube which is expanding uniformly as it is heated. At time t seconds, the length of each edge of the cube is x cm, and the volume of the cube is V cm³.

(a) Show that $\frac{dV}{dx} = 3x^2$ (1)

Given that the volume, V cm³, increases at a constant rate of 0.048 cm³s⁻¹,

(b) find $\frac{dx}{dt}$, when $x = 8$ (2)

(c) find the rate of increase of the total surface area of the cube, in cm²s⁻¹, when $x = 8$ (3)



Question 3 continued

Lined area for writing answers, consisting of approximately 30 horizontal lines.



Question 5 continued

Lined area for writing the answer to Question 5.

Q5

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(Total 12 marks)



Question 6 continued

Lined area for writing the answer to Question 6.

Q6

Two small boxes for marking the question.

(Total 12 marks)



7.

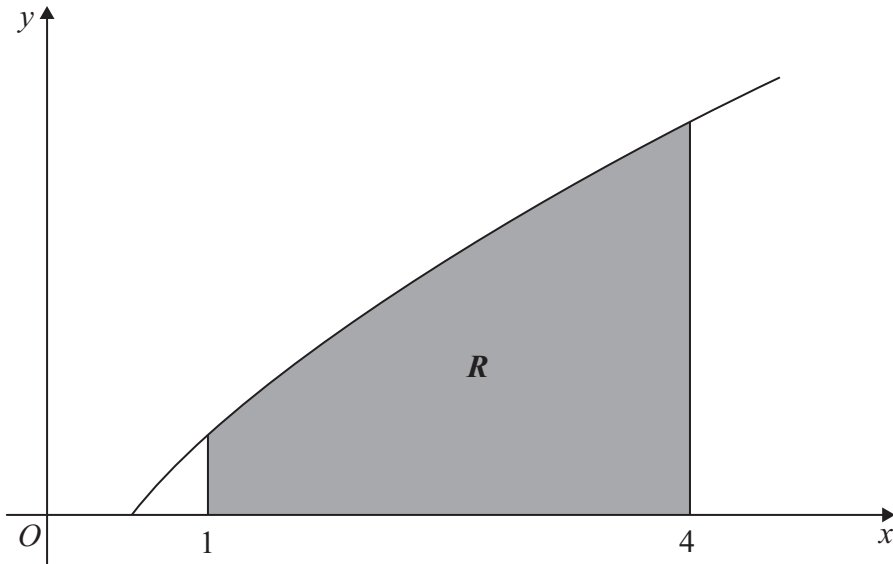


Figure 3

Figure 3 shows a sketch of part of the curve with equation $y = x^{\frac{1}{2}} \ln 2x$.

The finite region R , shown shaded in Figure 3, is bounded by the curve, the x -axis and the lines $x = 1$ and $x = 4$

- (a) Use the trapezium rule, with 3 strips of equal width, to find an estimate for the area of R , giving your answer to 2 decimal places. (4)
- (b) Find $\int x^{\frac{1}{2}} \ln 2x \, dx$. (4)
- (c) Hence find the exact area of R , giving your answer in the form $a \ln 2 + b$, where a and b are exact constants. (3)



Question 7 continued

Lined writing area for Question 7.

Q7

(Total 11 marks)



Question 8 continued

A series of horizontal lines for writing answers.

Q8

(Total 10 marks)

TOTAL FOR PAPER: 75 MARKS

END

